

# Accurate Strategy for Mixed Criticality Scheduling

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- 1 Mixed Criticality
- 2 A Timed Game Model
- 3 Conclusion

# Plan

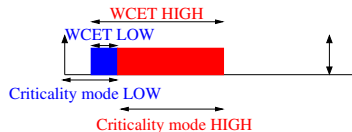
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# Mixed Criticality Systems

- Applications of **different criticality** run on the **same hardware platform**
- Ensure that **low criticality** applications **cannot disturb** those of **highest criticality**
- Use the platform efficiently

# Real-time scheduling point of view - Vestal model (2007)

- **Level** of criticality of tasks: **low** criticality or **high** criticality (or more levels)
- A task has **different estimates** for its **worst case execution time (WCET)**, one per level of criticality
- At the **beginning** of the execution, the system is in a **low** criticality mode
- If a **high** criticality task **does not notify its completion** after the execution of its low WCET, the system enters the **high** criticality mode



# The Task Set Model

- 1 Uniprocessor scheduling
- 2 Two levels of criticality
- 3 Preemptive job (an instance of a task) level fixed priority scheduling
- 4 A set of sporadic tasks  $\tau_i = (L_i, pr_i, T_i, D_i, C_i)$  with
  - $L_i \in \{LO, HI\}$  the criticality of the task,
  - $pr_i \in \{1 \dots n\}$  the priority of the task,
  - $T_i$  its minimal inter-arrival time,
  - $D_i$  its constrained deadline,
  - For **high criticality** tasks:  $C_i = (C_i(LO), C_i(HI))$  with  $C_i(LO) \leq C_i(HI)$ ,
  - For **low criticality** tasks:  $C_i = C_i(LO)$

# Mixed Criticality Scheduling Problem

- In **low** criticality mode: **all the tasks** meet their deadlines
- In **high** criticality mode: **all the high** criticality tasks meet their deadlines

# Standard Mixed Criticality Scheduling Approach

In the **high** criticality mode **no low criticality task is released**



# Criticism of the Standard Approach

- 1 If the criticality mode of the system is high it **never comes back to low criticality**
- 2 When the system is in high criticality, the execution time of **all the high tasks** is supposed to be equal to the **WCET of the high criticality mode**
- 3 When the criticality mode of the system increases, less critical tasks **are definitely no more activated**

# In This Paper

- 1 When no job exceeds its low criticality WCET **the criticality of the system decreases**
- 2 We introduce the notion of **criticality configuration** of the system that gives the set of jobs exceeding their low WCET (**critical jobs**)
- 3 The designer can specify the **subset of low criticality tasks to stop** when the system is in high criticality mode depending on the criticality configuration (**the fault mode policy**)

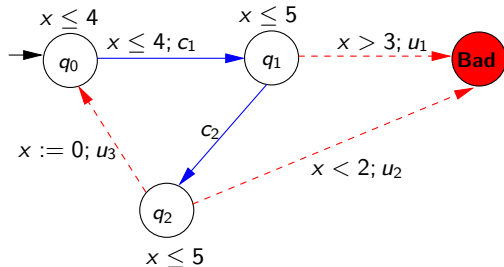
# Adaptive Fault Mode Strategy (AFM)

- A fault mode policy,  $policy_i$ , is defined by the designer
- A task set is AFM schedulable according to the scheduling algorithm  $Sched$  and a fault mode policy  $policy_i$  if and only if
  - 1 all the tasks respect their deadlines when the criticality mode of the system is LO
  - 2 all the active jobs respect their deadlines when the criticality mode of the system is HI and the fault mode policy  $policy_i$  is applied

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# Timed Game Automata



The set of transitions  $\Delta$  is composed of:

- $\Delta_c$  for controllable transitions: **Controller**
- $\Delta_u$  for uncontrollable transitions: **Environment**

A **Controller** plays against the **Environment**

**The goal** is to avoid state **Bad** whatever are the decisions of the environment

# Timed Game $G(\mathcal{A}, Init, \phi)$

## Timed Game

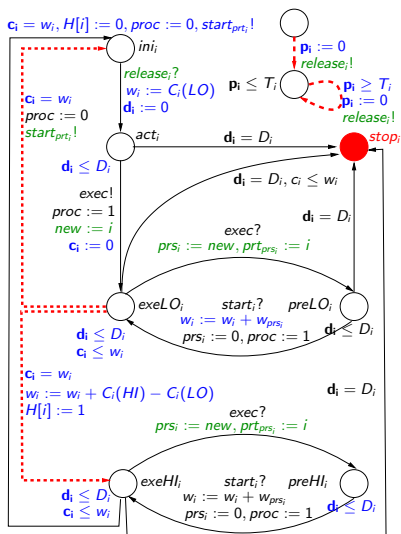
A Timed Game  $G(\mathcal{A}, Init, \phi)$  is defined by:

- $\mathcal{A}$  a timed game automaton,
- $Init$  initial configurations,
- $\phi$  a logic formula.

The timed game  $G(\mathcal{A}, Init, \phi)$  is a **Wining Game** if there exists a **strategy**  $f$  s.t. the execution of  $\mathcal{A}$  from  $Init$  and supervised by  $f$  **always satisfies formula**  $\phi$ .

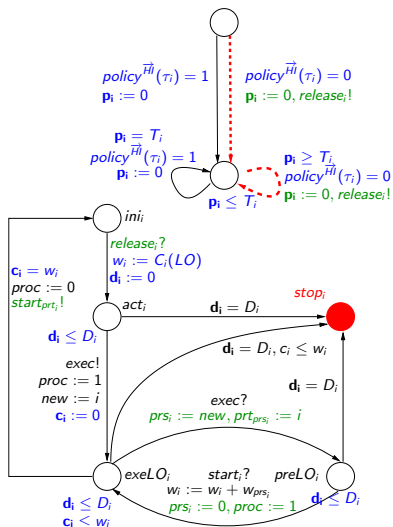
# High Criticality Real-Time Task

- Clocks  $c_i$ ,  $d_i$ ,  $p_i$
- $w_i$  is the response time of a job of  $\tau_i$
- $H[i] = 1$  if a job of task  $\tau_i$  is critical
- $pr_{s_i}$  is the task preempting  $\tau_i$
- $pr_{t_i}$  is the task preempted by  $\tau_i$
- $release_i$  is a signal laughed when a job of  $\tau_i$  is released



# Low Criticality Real-Time Task

- Clocks  $c_i$ ,  $d_i$ ,  $p_i$
- $w_i$  is the response time of a job of  $\tau_i$
- $policy^{\vec{H}I}(\tau_i) = 1$  if jobs of  $\tau_i$  are not activated when the criticality configuration is  $\vec{H}I$
- $prs_i$  is the task preempting  $\tau_i$
- $prt_i$  is the task preempted by  $\tau_i$
- $release_i$  is a signal laughed when a job of  $\tau_i$  is released





# Exact AFM Feasibility (Job Level Fixed Priority Scheduling)



- Feasible Run: infinite run where no configuration contains a state *stop*;
- The scheduling problem is feasible if a feasible run exists
- Property to check in the timed game:

$$AG \neg \left( \bigvee_{\tau_i \in \Gamma} stop_i \right) \quad (1)$$

# Exact AFM Fixed Priority Schedulability Test

The task set is Fixed Priority schedulable if and only if there exists a run where

- no job misses its deadline (state  $stop_i$  not reached)
- a job of a task  $\tau_i$  cannot be active or preempted if a job of lower priority is executed

$$\begin{aligned}
 & AG \neg \left( \bigvee_{\tau_i \in \Gamma} stop_i \right) \wedge \neg \left( \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in lp(i)} (act_i \wedge exeLO_j) \bigvee \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in lp(i)} (act_i \wedge exeHI_j) \right. \\
 & \quad \bigvee \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in lp(i)} (preLO_i \wedge exeLO_j) \bigvee \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in lp(i)} (preLO_i \wedge exeHI_j) \quad (2) \\
 & \quad \left. \bigvee \bigvee_{\tau_i \in \Gamma^{HI}} \bigvee_{\tau_j \in lp(i)} (preHI_i \wedge exeLO_j) \bigvee \bigvee_{\tau_i \in \Gamma^{HI}} \bigvee_{\tau_j \in lp(i)} (preHI_i \wedge exeHI_j) \right)
 \end{aligned}$$

# Exact AFM Earliest Deadline First Schedulability Test

The task set EDF schedulable if and only if there exists run where

- no job misses its deadline (*state stop<sub>i</sub>*; not reached)
- a job of a task  $\tau_i$  cannot be active or preempted if a job with an absolute deadline less close to its deadline is executed

$$\begin{aligned}
 & AG \neg \left( \bigvee_{\tau_i \in \Gamma} stop_i \right) \wedge \neg \left( \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in \Gamma} (act_i \wedge exeLO_j \wedge p_{ij}) \bigvee \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in \Gamma^{HI}} (act_i \wedge exeHI_j \right. \\
 & \left. \wedge p_{ij}) \bigvee \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in \Gamma} (preLO_i \wedge exeLO_j \wedge p_{ij}) \bigvee \bigvee_{\tau_i \in \Gamma} \bigvee_{\tau_j \in \Gamma^{HI}} (preLO_i \wedge exeHI_j \wedge p_{ij}) \right. \\
 & \left. \bigvee \bigvee_{\tau_i \in \Gamma^{HI}} \bigvee_{\tau_j \in \Gamma} (preHI_i \wedge exeLO_j \wedge p_{ij}) \bigvee \bigvee_{\tau_i \in \Gamma^{HI}} \bigvee_{\tau_j \in \Gamma^{HI}} (preHI_i \wedge exeHI_j \wedge p_{ij}) \right)
 \end{aligned} \tag{3}$$

$p_{ij}$  is a state of an observer automaton reachable when  $d_i - d_j > D_i - D_j$  with  $d_i$  and  $d_j$  the deadline clocks of tasks  $\tau_i$  and  $\tau_j$  respectively

Task set  $\Gamma_1$ 

$\tau_i$	$L_i$	$pr_i$	$T_i$	$D_i$	$C_i$
$\tau_1$	HI	3	10	10	(1,2)
$\tau_2$	HI	2	8	8	(2,4)
$\tau_3$	LO	1	4	4	(2)

# Adaptive Mixed Criticality Strategy (AMC)

- when the criticality of the system is HI:
  - LO criticality tasks are no more activated
  - all jobs of HI criticality tasks are supposed to have an execution time equal to their HI WCET
- we consider that the system returns to LO mode at the first instant where no active job is critical

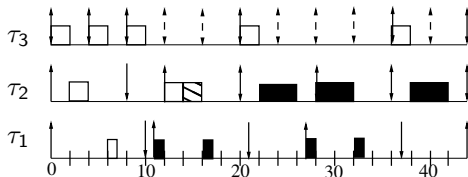


Figure: FP Scheduling of  $\Gamma_1$  using AMC

Using AMC 6 jobs of  $\tau_3$  are not executed

Fixed Priority AFM and  $policy_1$ 

- $policy_1^{\vec{H}l}(\tau_3) = 1$  for all the criticality configurations where  $\tau_2$  has a critical job
- $policy_1^{\vec{H}l}(\tau_3) = 0$  otherwise

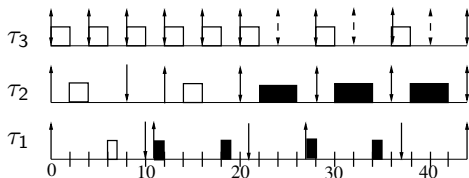


Figure: FP Scheduling of  $\Gamma_1$  using AFM and  $policy_1$

Using Fixed Priority AFM and  $policy_1$  3 jobs of  $\tau_3$  are not executed

Fixed Priority AFM and  $policy_2$ 

- $policy_2^{\vec{HI}}(\tau_3) = 1$  for all the criticality configurations where "only"  $\tau_2$  has a critical job
- $policy_2^{\vec{HI}}(\tau_3) = 0$  otherwise

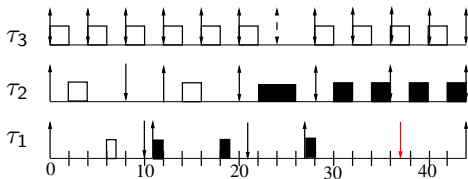


Figure: FP Scheduling of  $\Gamma_1$  using AFM and  $policy_2$

Not Fixed Priority AFM schedulable using  $policy_2$

## EDF AFM and $policy_2$

- $policy_2^{\vec{HI}}(\tau_3) = 1$  for all the criticality configurations where "only"  $\tau_2$  has a critical job
- $policy_2^{\vec{HI}}(\tau_3) = 0$  otherwise

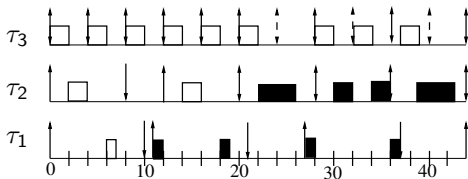


Figure: EDF Scheduling of  $\Gamma_1$  using AFM and  $policy_2$

LO criticality jobs are necessary in some HI criticality configurations



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## In this work

- A scheduling strategy for the mixed criticality real-time scheduling problem where **the designer can define his own policy to deal with low criticality tasks**
- **Exact** feasibility and schedulability tests for job level fixed priority algorithms based on CTL model checking for timed game automata
- **Future work**
  - propose a more specific game model taking into account the characteristics of our real-time scheduling problem to reduce the state space explosion problem
  - generate the fault mode policy